

DATE 02/02/24

LIVRAISON N°

13

EXPÉDITEUR

SFACS Industrie

Société Fluides Air Comprimé Services

Sarl au capital de 8000,00 €

Siège Social : Les Meulles

26350 MONTRIGAUD

Tél. 09 61 31 16 40 - Fax 04 86 55 63 01

Site Web : www.sfacs-industrie.fr

Siret : 518 702 998 00023 - RCS Romans - FR 865 187 029 98

DESTINATAIRE

Brasserie Pleine Lune

Chabenil

Réf. commande :

Emballage :

Port :

Conditions de paiement :

EXACOMPTA

Scroll SL I 3,7 N°1015889 a 1771+

- Changement des 2 filtres air.

- Vérif Tension courroies.

- Soufflage - radiateur.

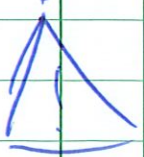
- Vérif serrage connexions élec.

- Essais OK

Ouvrier changeant filtre + Nettoyage

Fournitures : 2 - F.A. 01693

1771 déj Frais K / forfait maintenance

 reste à charger Bea 72 CA
sur curve 500 L déportée.

Reçu les marchandises ci-dessus en bon état

Signature :

A _____ le _____

Nous nous réservons la propriété des marchandises jusqu'au paiement intégral de notre facture.

1. The first part of the paper is devoted to the study of the properties of the function $f(x)$ defined by the equation $f(x) = \int_0^x f(t) dt$. It is shown that $f(x)$ is a constant function, and its value is determined by the initial condition $f(0)$.

2. In the second part, we consider the problem of finding the maximum value of the function $f(x)$ on the interval $[0, 1]$. It is shown that the maximum value is attained at $x = 0$ and is equal to $f(0)$.

3. The third part of the paper is devoted to the study of the properties of the function $f(x)$ defined by the equation $f(x) = \int_0^x f(t) dt$. It is shown that $f(x)$ is a constant function, and its value is determined by the initial condition $f(0)$.

4. In the fourth part, we consider the problem of finding the maximum value of the function $f(x)$ on the interval $[0, 1]$. It is shown that the maximum value is attained at $x = 0$ and is equal to $f(0)$.

5. The fifth part of the paper is devoted to the study of the properties of the function $f(x)$ defined by the equation $f(x) = \int_0^x f(t) dt$. It is shown that $f(x)$ is a constant function, and its value is determined by the initial condition $f(0)$.

6. In the sixth part, we consider the problem of finding the maximum value of the function $f(x)$ on the interval $[0, 1]$. It is shown that the maximum value is attained at $x = 0$ and is equal to $f(0)$.